Simulation of Production Interference in Multi-Well Pads

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Inter-Well Connectivity Challenges

Problem:

Well interference = Suboptimum SRV

Evidence Well-interference:

- Pressure data well shut-ins
- Microseismic events



Microseismic events in Eagle Ford shale (SPE 174946)

Key Issues:

- 1. Physical mechanisms of interference
- 2. Quantify impact of well interference
- 3. Design better well spacing



Time Pressure response of #5 Well in Wolfcamp shale (URTeC: 2154675)

Model Development Well Interference



Well communication through connecting fractures

Research Focus:

- Combine analytical, semi-analytical, and numerical models to identify, analyze, and visualize the inter-well interference
- Understand the mechanism and intensity of well interference
- Quantify the optimal well pattern / spacing

Inter-Well Interference Mechanisms



Three basic interference mechanisms

- (a) Through matrix permeability
- (b) Through simple hydraulic fractures
- (c) Through complex fracture network (natural + hydraulic fractures)

Example Interference through simple HF

Numerical Model



Pressure profile after 75 days (50 md-ft)

Case 1: No inter-well communication Case 2: Inter-well communication Effect of connecting fracture conductivity on pressure change of shut-in well

Example Well Interference Complex Fractures



URTeC 2149893

Semi-Analytical Approach

2Nf + Nv Unknowns (constant BHP)

- Pressure at each node (Nf)
- Gas flow rate at each node (Nv)
- Gas flux at each segment (Nf)

2Nf + Nv Governing equations

Mass balance at each node (Nv)

$$f_{I} = (q_{i})_{\text{inflow}} - (q_{i})_{\text{outflow}} = 0$$

• Gas flow at each segment (Nf)

Nf fracture segments, Nv nodes Nv = Nf +1



$$f_{II} = p_{j1} - p_{j2} - \int_{y_{j1}}^{y_{j2}} D_j q_j (y) + ND_j q_j (y)^2 dy = 0$$

SPE 178747- STU Wei Yu 2015

• Pressure solution at center of each segment (Nf)

$$f_{III} = p_{j1} - p(x, y, z, t) - \int_{y_{j1}}^{y_{jc}} D_j q_j(y) + ND_j q_j(y)^2 dy = 0$$
$$p(x, y, z, t) = p_i - \frac{U(t - t_0)}{4\phi c_t ab} \sum_{j=1}^{N_p} \int_0^t q_j(t - t_0 - \tau) G_j(x, y, z, \tau) d\tau$$

Superposition Principle – Interaction Frac Segments

$$p(x, y, z, t) = p_i - \frac{U(t - t_0)}{4\phi c_t ab} \sum_{j=1}^{N_f} \int_0^t q_j (t - t_0 - \tau) G_j (x, y, z, \tau) d\tau q_j$$

Expansion for the center of *j* segment (x, y, z, t)



Model Verification – Tight Oil



Analytical Approach – Visualization of SRV

Key algorithm drainage Velocity field

$$V(z) = \frac{m_s}{b-a} e^{-i\beta} \left(\log(e^{-i\beta}(z-z_c) - a) - \log(e^{-i\beta}(z-z_c) - b) \right)$$

Fracture element at location Z_c



Specify for each fracture segment flux strength, $m_s(t)$, based on diffusion-based decline. $m = Q_i / h \ [m^2 s^{-1}]$



Unlimited number of fractures & segments possible



Semi-analytical model provides flux strength



Semi-Analytical and Analytical Model Goals

- 1. SRV production allocation between adjacent wells based on <u>complexity</u> <u>of fracture network</u> connected to each wells (A).
- 2. <u>Visualize production depletion front</u> and <u>specify actual recovery factor</u> for the SRV at anyone time (B).
- 3. Economic limit determines what is the <u>recovery factor cutoff time</u>.
- 4. Poorly placed fractures will create recovery gaps.
- 5. When fracture networks between wells are communicating, establish <u>effect of detailed fracture geometries</u> <u>on production and BHP pressure</u> <u>decline profiles</u> for each well.

B) SRV (interference) Visualization



A) Production (interference) Model



Anticipated Outcomes and Deliverables

- 1. Develop diagnostics for recognizing the dominant physical mechanism of well interference for a particular study area.
- 2. Visualization of stimulated rock volume and well interference
- 3. Apply the proposed methodology to wells from the Eagle Ford and Permian Basin * Shut-in well tests & permeability & fracture data needed
- 4. Provide reservoir model tools to operators for determining the



<u>Related Crisman Proposal</u>: Practical Rules for Optimum Frac Spacing and Optimum Well Length in Unconventional Plays



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